The background image shows the I-35W St. Anthony Falls Bridge at night. The bridge's concrete structure is illuminated with a vibrant blue light, creating a striking contrast against the dark sky. The bridge features a series of large, rounded concrete piers supporting the roadway. In the foreground, a walkway with a metal railing and a stone retaining wall is visible. The city lights of St. Anthony Falls are visible in the distance through the bridge's arches.

Time- and Temperature-Dependent Deflection Monitoring of the I-35W St. Anthony Falls Bridge

Brock Hedegaard, Ph.D., P.E.

University of Minnesota – Duluth

Lauren Linderman, Ph.D.

University of Minnesota – Twin Cities

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American Concrete Institute Spring Convention

I-35W St. Anthony Falls Bridge

Bridge has been monitored since opening in September 2008

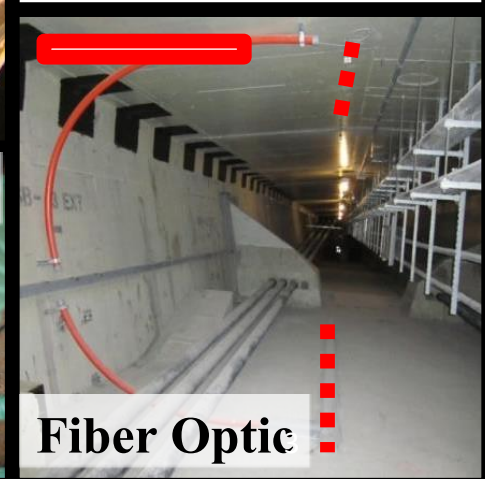
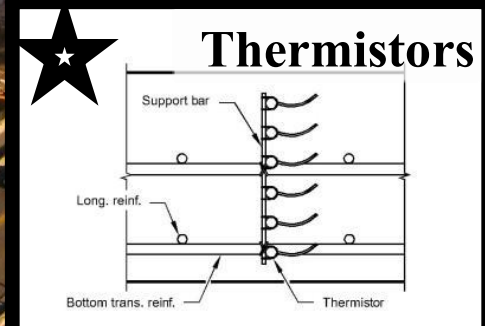
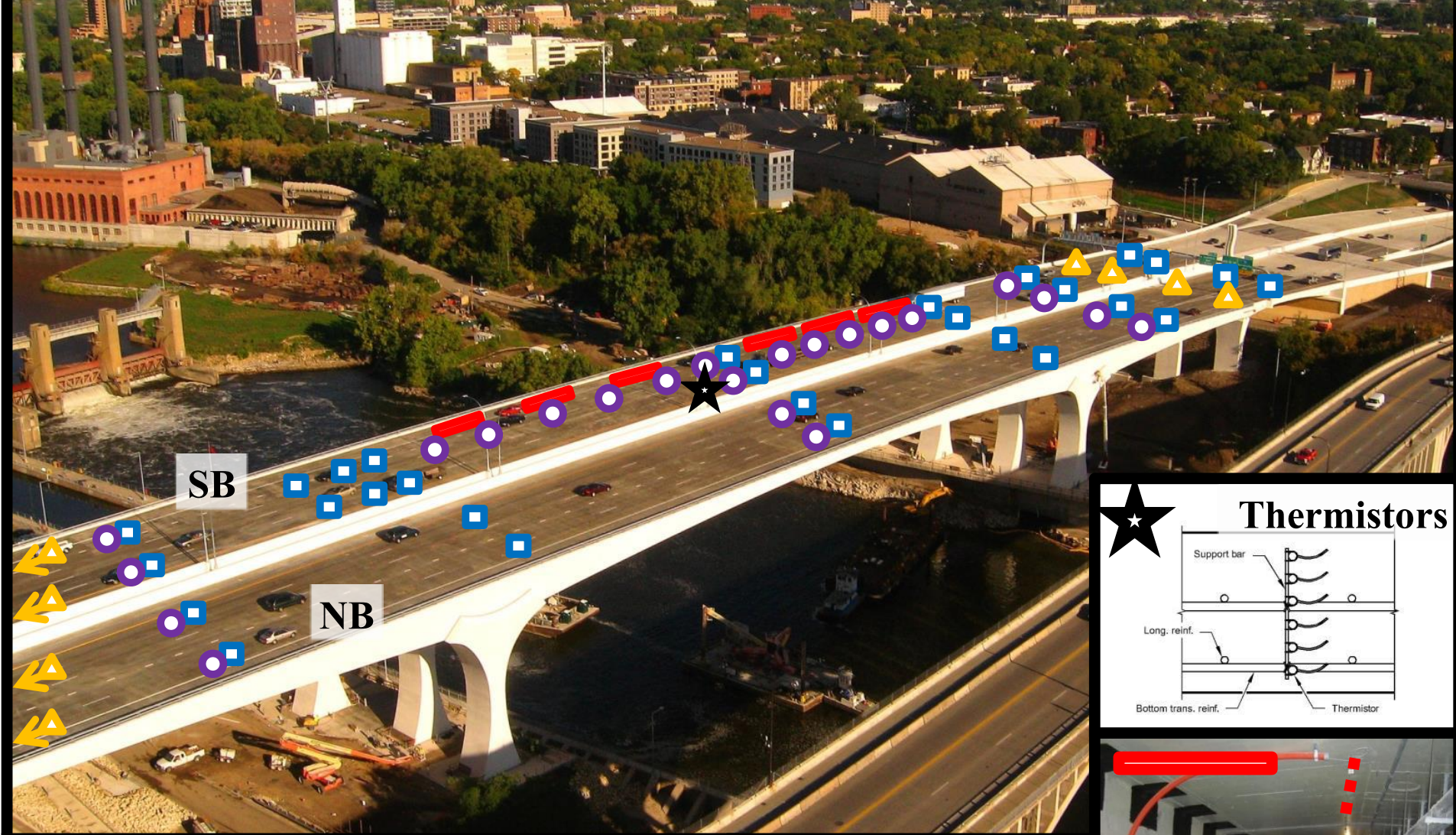
Contains over 500 sensor channels to investigate behavior:

- strain gages
- accelerometers
- fiber optic sensors
- thermistors
- linear potentiometers

Uniquely large data set offers opportunities to:

- Investigate structural characteristics and changes over time
- Observe temperature- and time-dependent behaviors

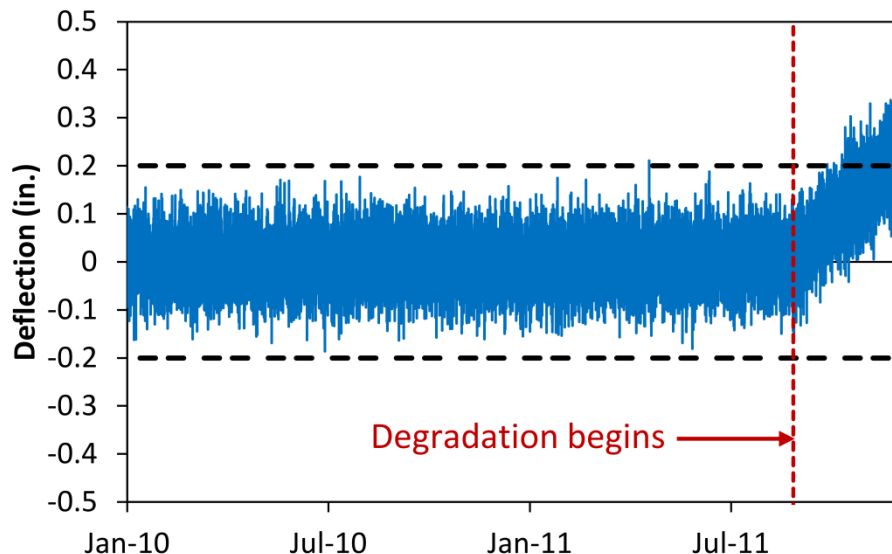




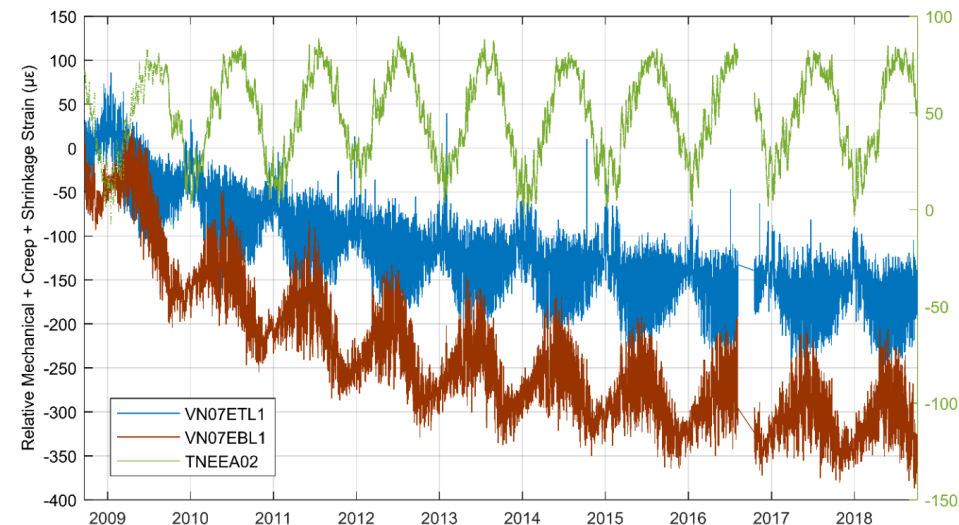
Challenge of Long-Term Monitoring

- Behavior of in-service bridges depend on many complex natural phenomena
- Degradation is not necessarily sudden and can be masked by normal, safe variations in behavior

What we would “like” to see...



... versus reality



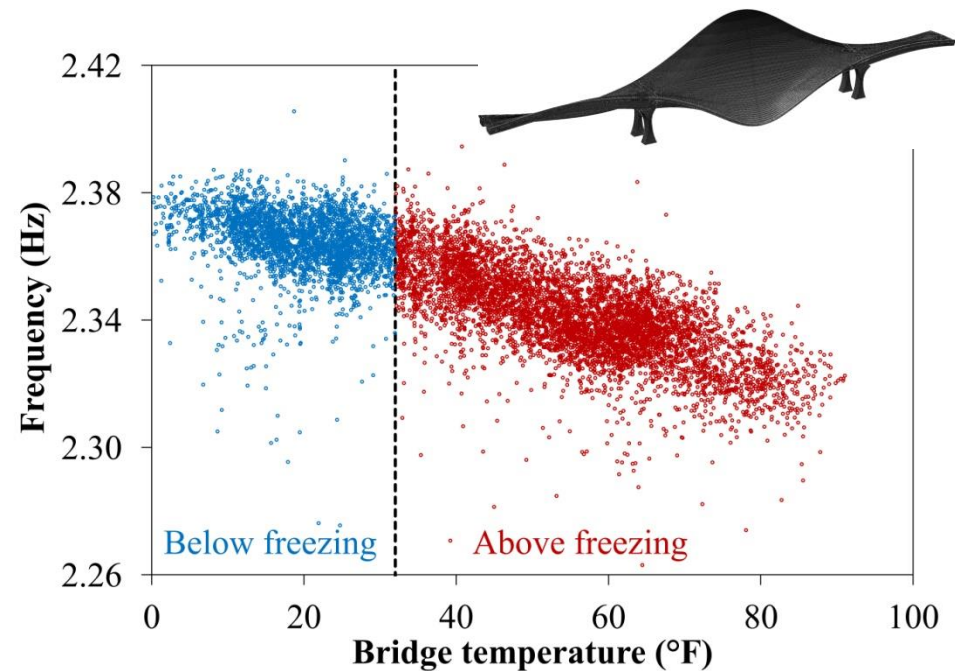
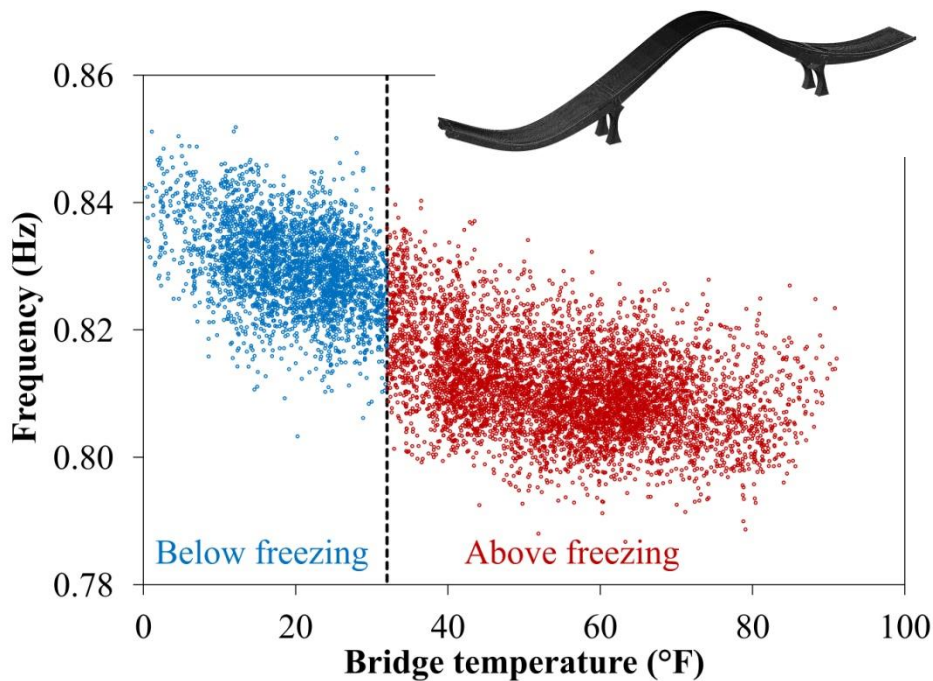
Why temperature and time?

- Understanding normal operational deformation key to extracting anomalous or damage-related readings
- Largest signals from ambient (thermal) loading
- Long-term creep and shrinkage may lead to post tensioning losses or bearing issues
- Many conflicting concrete time-dependent models



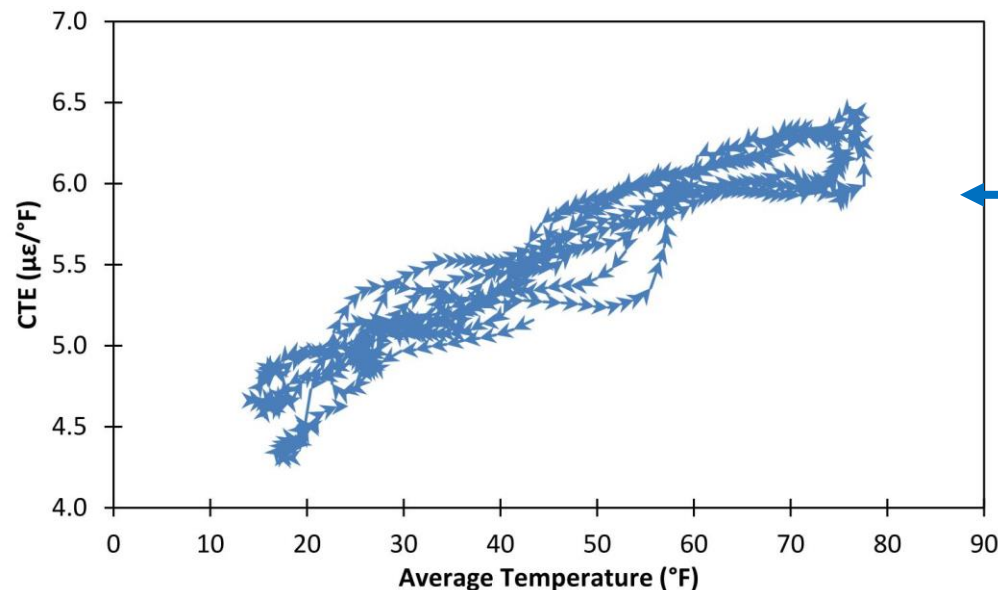
Interactions with Temperature: Modes of Vibration

- **Assumption:** Natural frequencies are constant
- **Observation:** Natural frequencies vary with temperature, and not all modes behave in the same way

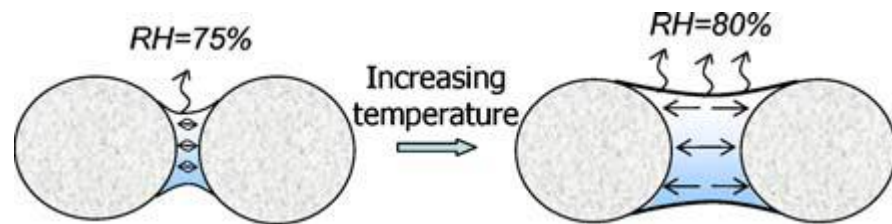


Interactions with Temperature: Thermal Expansion

- **Assumption:** Coefficient of thermal (CTE) expansion of concrete structures is a constant
- **Observation:** Looking at short (month-long) blocks of data shows apparent change in CTE by up to 20%



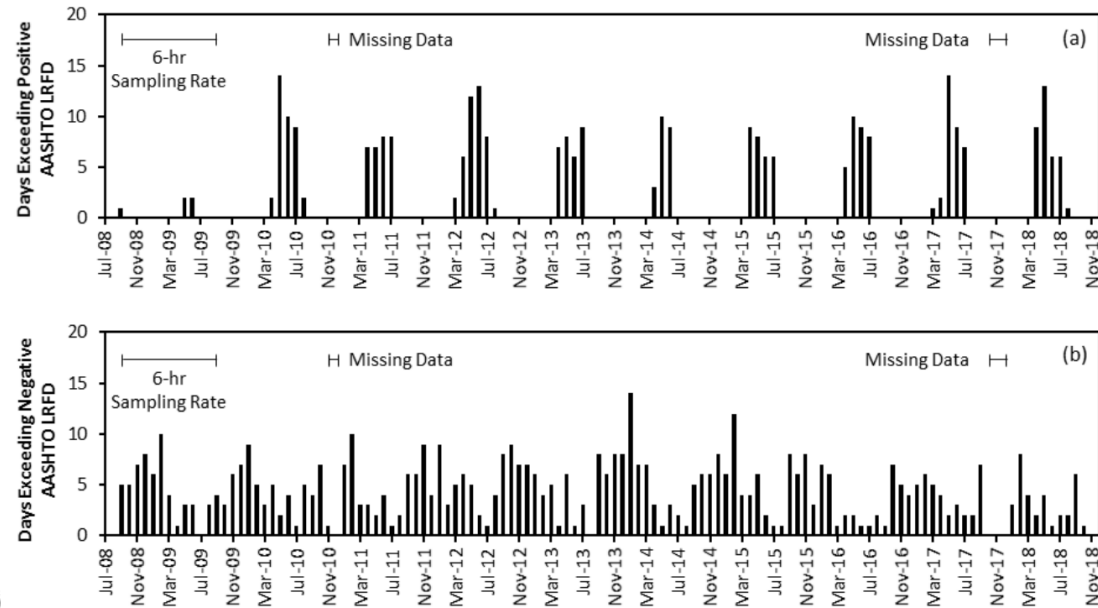
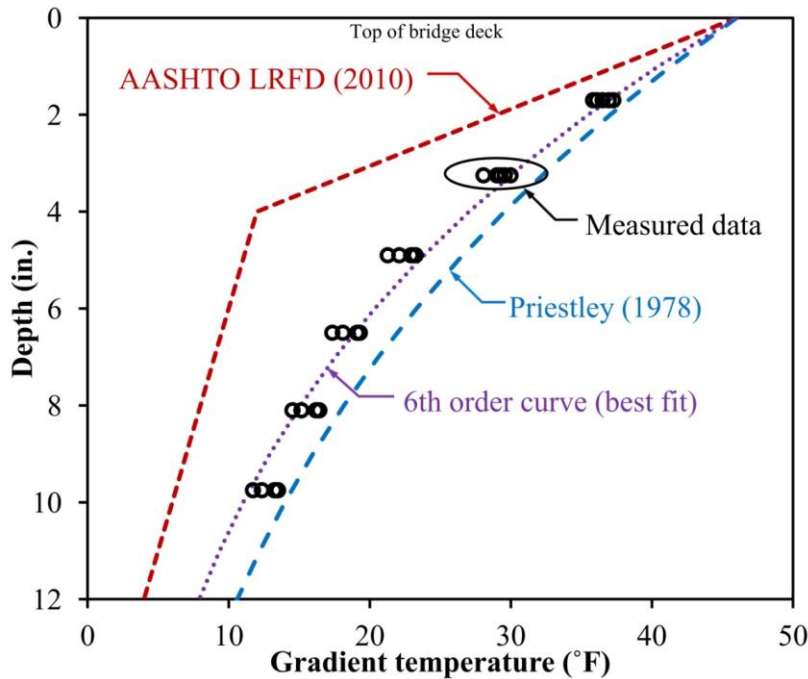
CTE estimated from VWSGs in south span of the southbound bridge



(Grasley and Lange, 2007)

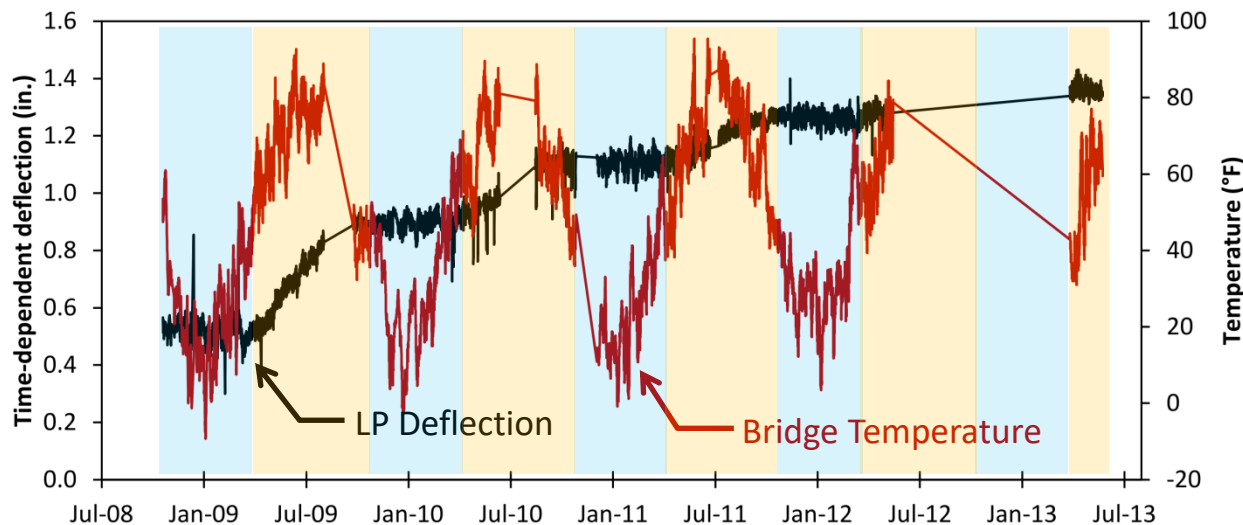
Interactions with Temperature: Thermal Gradients

- **Assumption:** Temperature differences through top deck vary according to AASHTO LRFD design gradients
- **Observation:** Gradients follow fifth or sixth-order polynomial, routinely exceed AASHTO design



Interactions with Temperature: Creep and Shrinkage

- **Assumption:** Creep and shrinkage strains progress smoothly with time
- **Observation:** Temperature affects the rate of creep and shrinkage, which are much slower during winter



Longitudinal deflections are measured by LPs at the expansion joints

Temperature (°F)

Bridge temperature measured at midspan

Methodology 1: Extraction of Temperature Effects

Step 1: Linear Regression

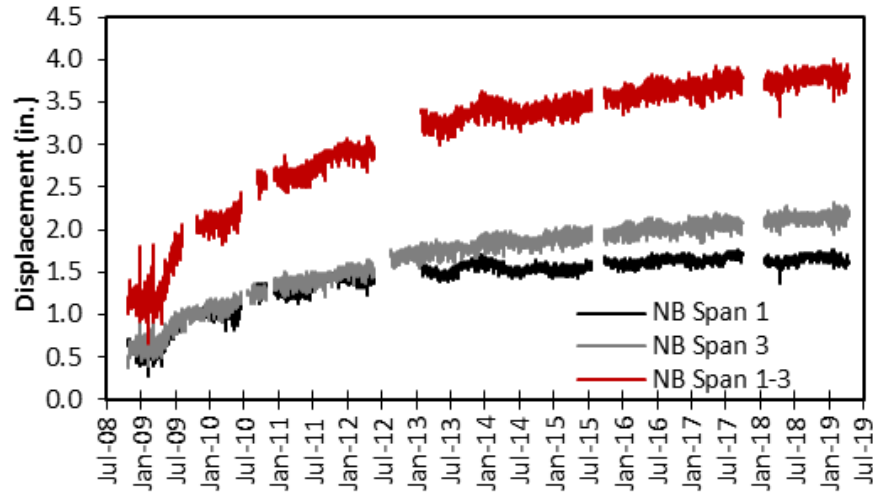
$$\underbrace{y}_{\text{Measured data}} = \underbrace{\alpha_1 \frac{\int T dA}{T_{ref} A} + \alpha_2 \frac{\int T^2 dA}{T_{ref}^2 A}}_{\text{Axial elongation CTE} = \alpha_1 + \alpha_2 T} + \underbrace{\alpha_3 \frac{\int z T dA}{T_{ref} I_x / L_{ref}}}_{\text{Thermal gradients}} + \underbrace{\alpha_4 \theta_{TD} + \alpha_5 + \delta}_{\text{Modeled time-dependent behavior}}$$

Step 2: Subtract Temperature Behavior from Data

$$\underbrace{TD + \delta}_{\text{Measured time-dependent behavior}} = y - \underbrace{\alpha_1 \frac{\int T dA}{T_{ref} A} - \alpha_2 \frac{\int T^2 dA}{T_{ref}^2 A} - \alpha_3 \frac{\int z T dA}{T_{ref} I_x / L_{ref}} - \alpha_5}_{\text{Regression values from Step 1}}$$



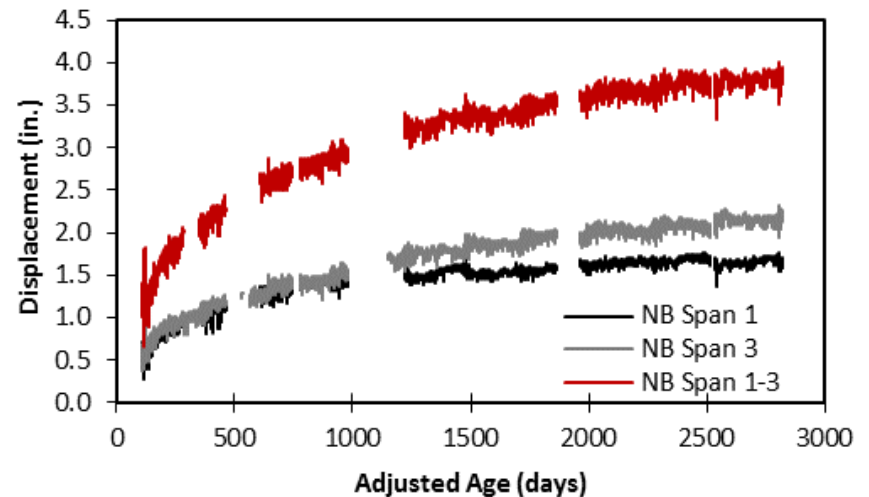
Methodology 2: Adjusted Age for Time-Dependent Rates



$$t_{adj} = \int_{t_{cl}}^t e^{\left\{ \frac{Q}{R} \left[\frac{1}{T_0} - \frac{1}{T(t')} \right] \right\}} dt'$$

Temperature history at midspan

- Arrhenius equation converts to an equivalent time (i.e., adjusted age) at a constant reference temperature T_0



Benefits of Data Processing and Normalization

Anomaly Detection

Deviations easier to detect from expected time-dependent behavior than from total strains and deflections.

Versatility

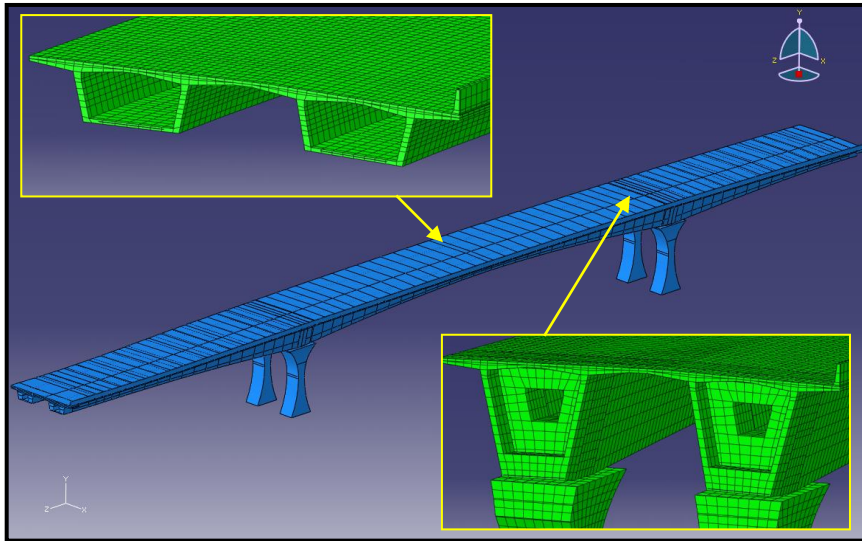
Effective for temperature- and time-dependent longitudinal strains and deflections.

FEM Comparison

Measured data using adjusted age can be compared to constant temperature FEM results.



FEM Time-Dependent Modeling



Hedegaard et al. 2017

- 3D FEM including full erection procedure for Southbound Bridge spans 1-3
- Includes aging, creep, shrinkage, and relaxation for 150 adjusted age years

- Creep and Shrinkage Models Applied:

- ACI 209R-92

- B3

- AASHTO LRFD (2010)

- GL 2000

- CEB-FIP Model Code 1978

Asymptotic

Logarithmic

- CEB-FIP Model Code 1990

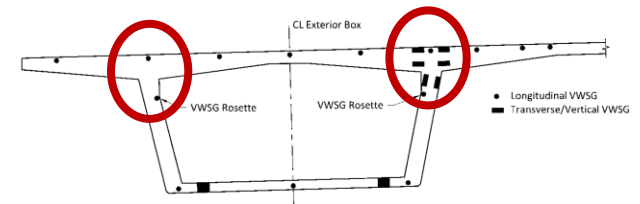
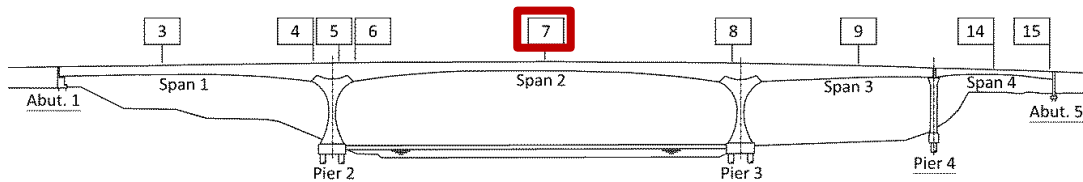
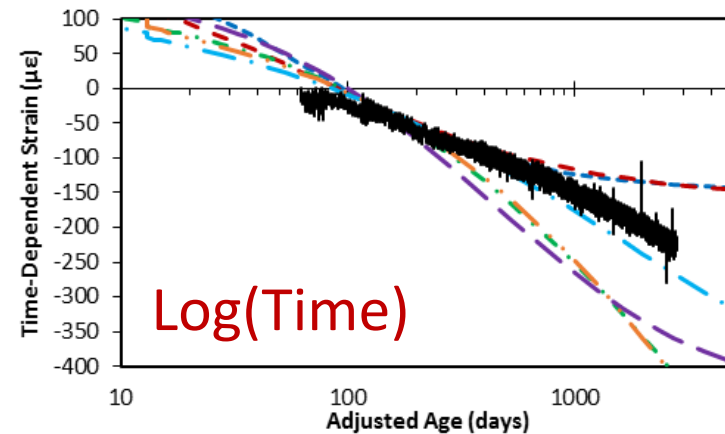
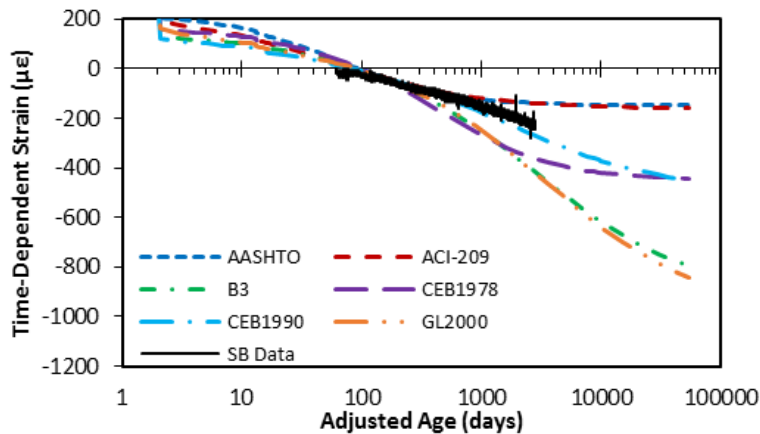
Creep

Creep

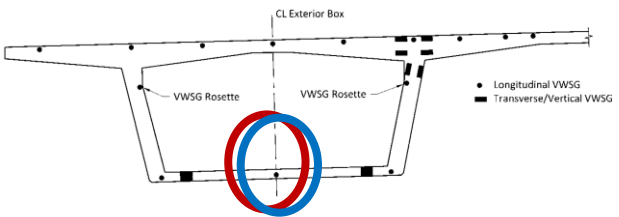
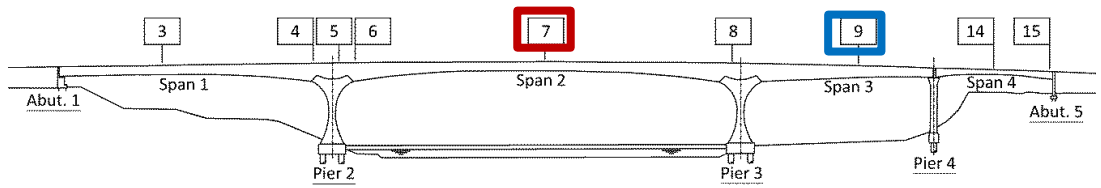
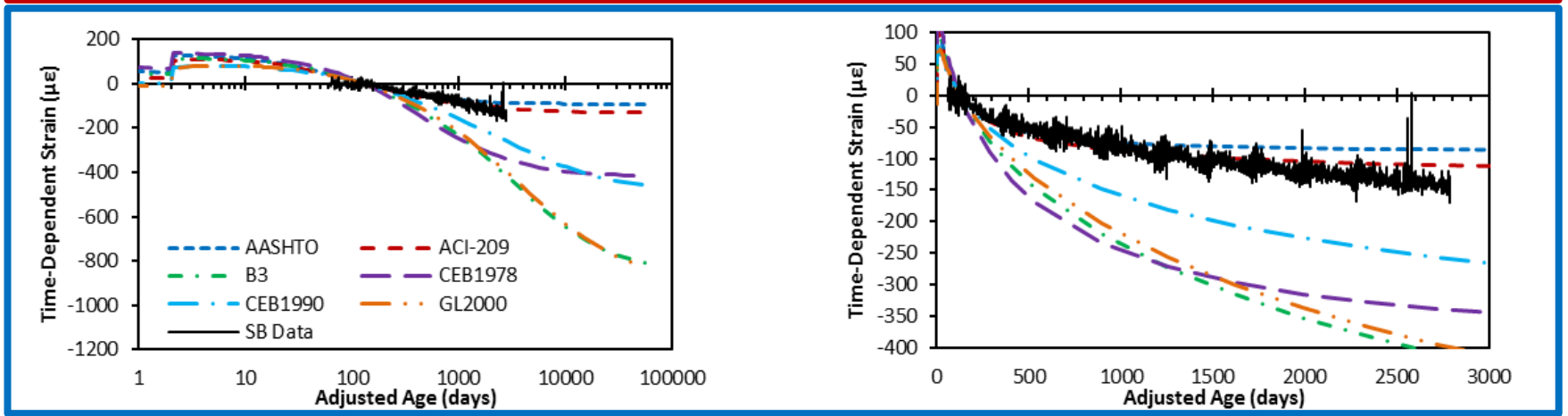
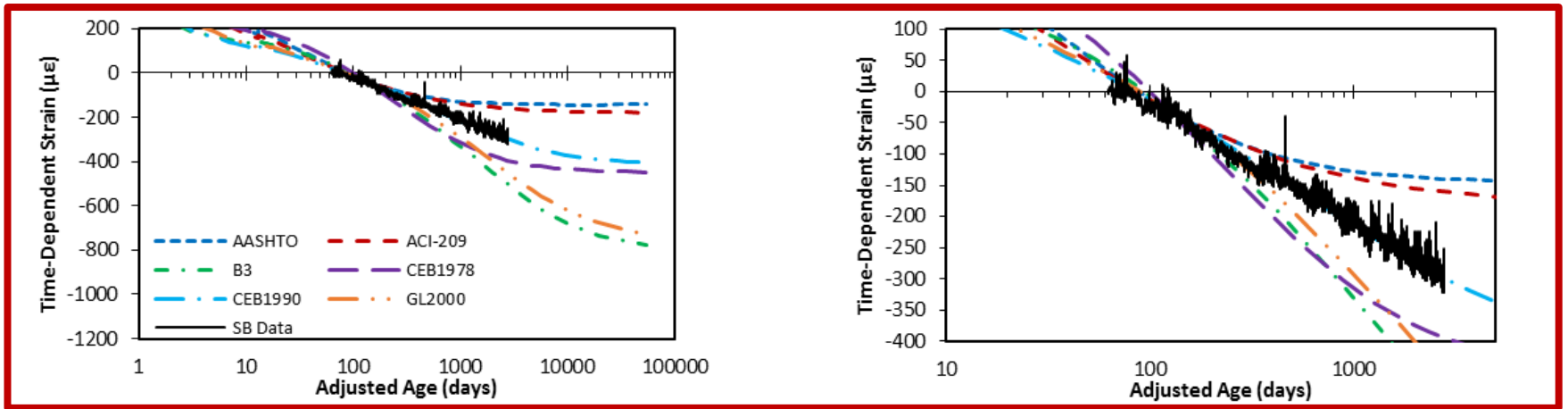


Comparison with FEM Predictions

- Linear regression to extract TD behavior performed on data from September 1, 2008 through October 16, 2018
- Compared with FEM predictions at a constant temperature
 - FEM set equal to measured strains at 6 AM CST on March 22, 2009 (124 adjusted age days)

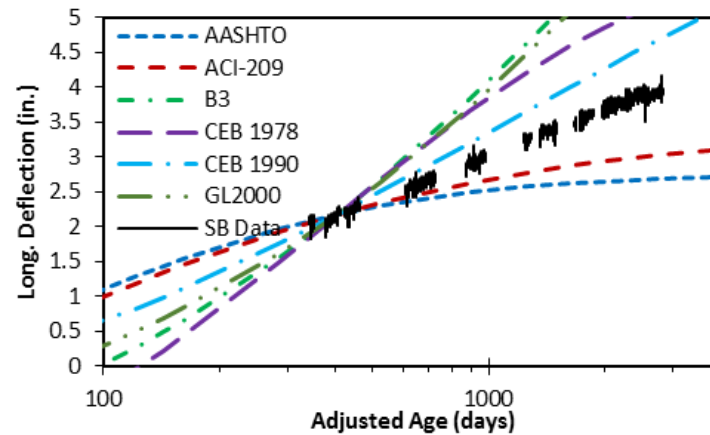
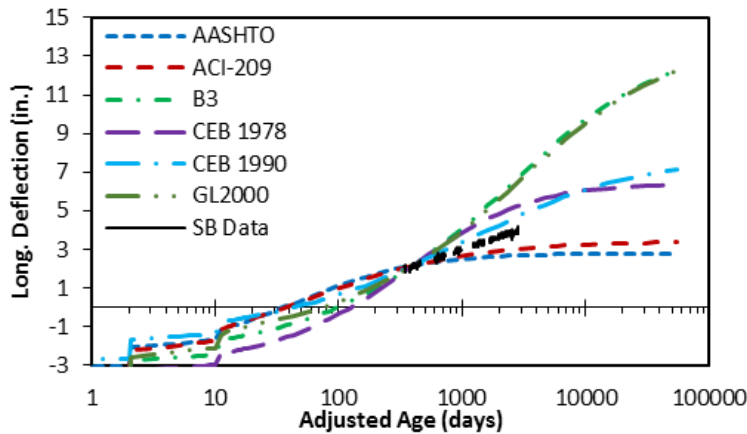


Comparison with FEM Predictions

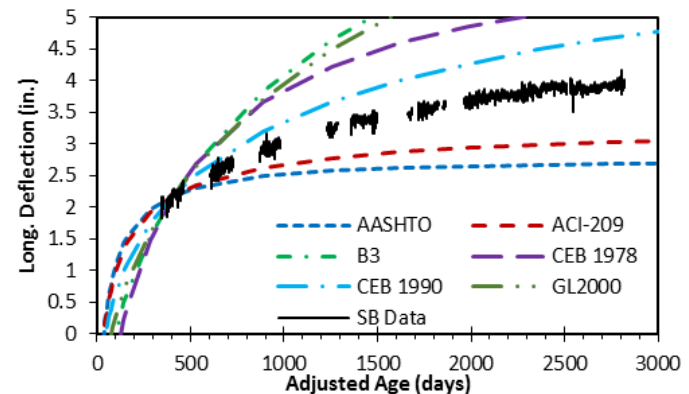
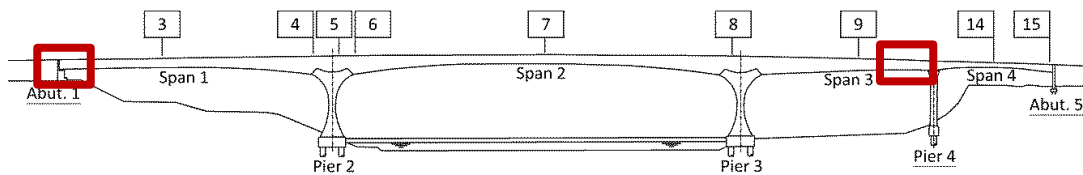


Comparison with FEM Predictions

- Linear regression performed on data from September 28, 2009 through April 18, 2019

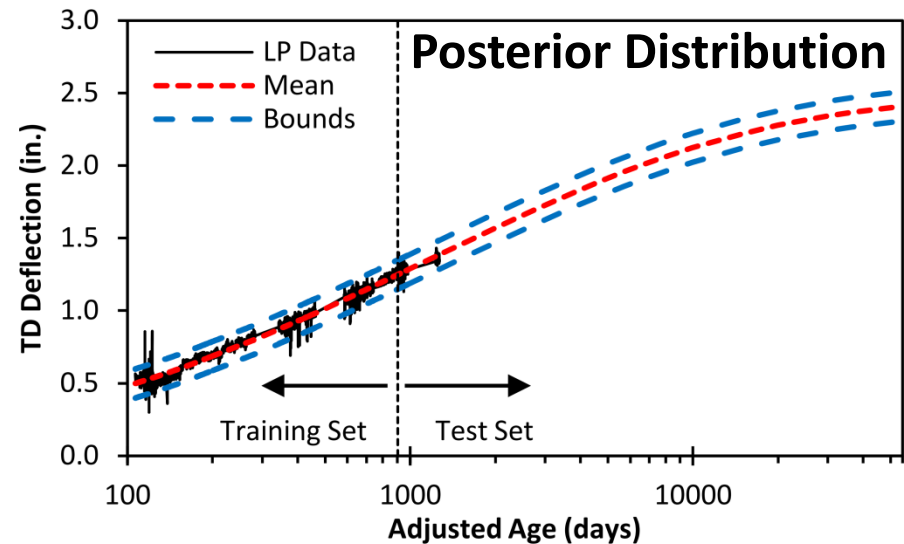
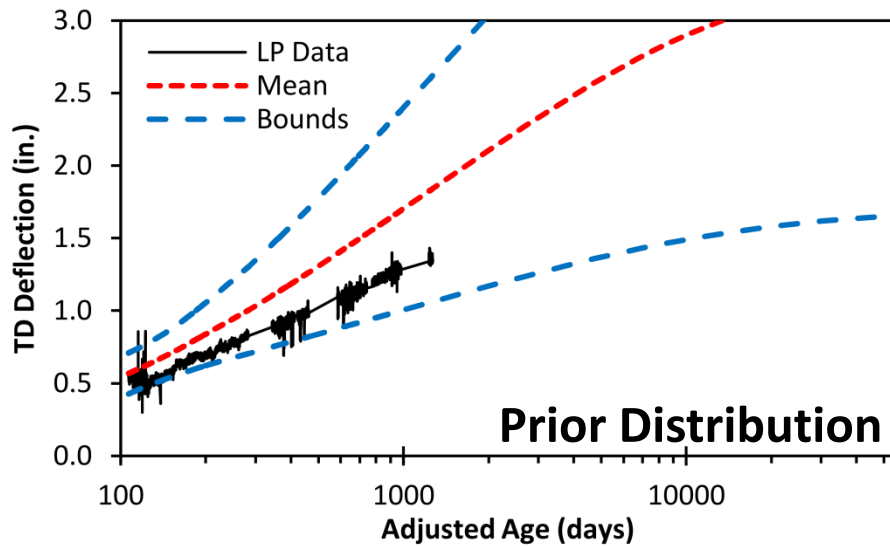


← Total shortening of Spans 1-3 →



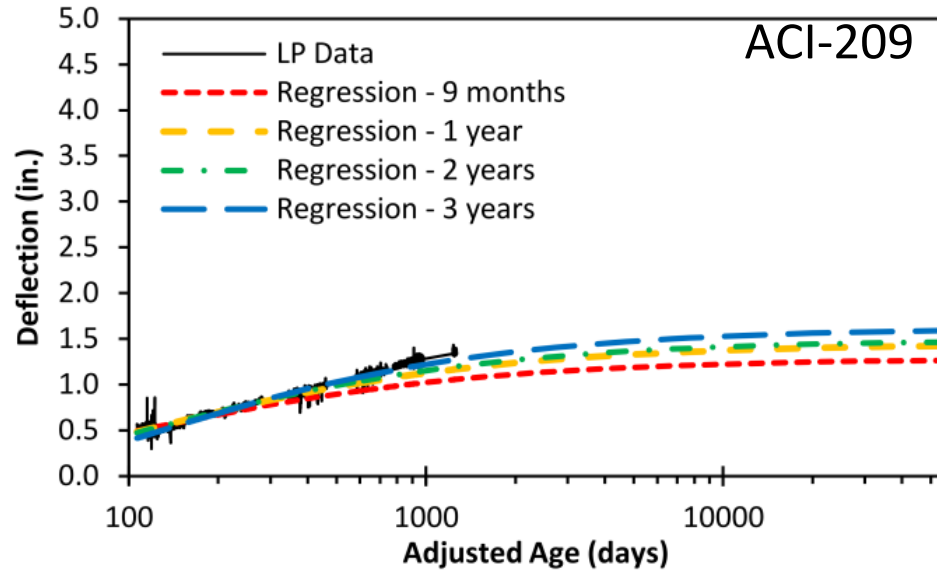
Short-Term Anomaly Detection

- Use Bayesian regression to predict the time-dependent behavior over a specific test set
- Prior distribution mean from FEM results and uncertainty of creep and shrinkage models (~30% coefficient of variation)

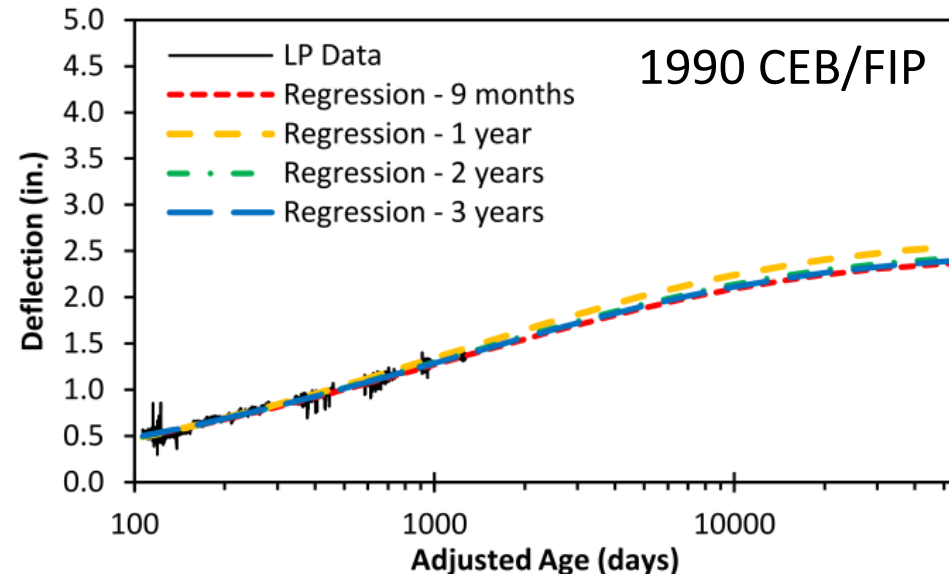
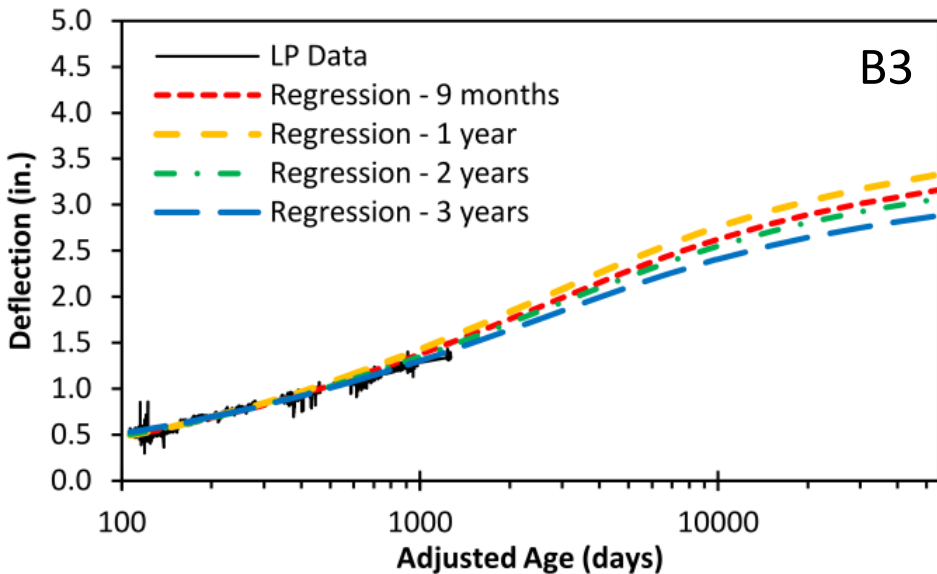


95%-credible bounds for Southbound south span LP using 1990 CEB Model Code

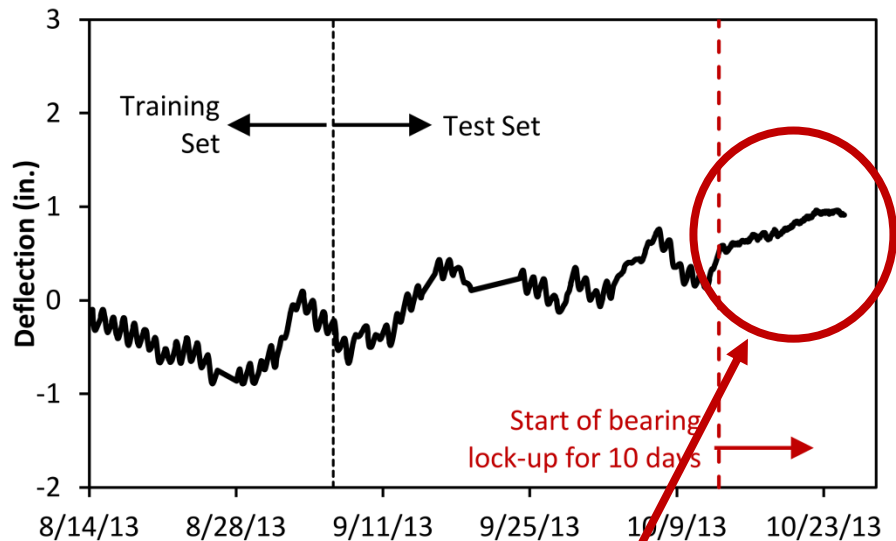
Short-Term Anomaly Detection



- Bayesian regression was performed assuming that the shape of the time-dependent curve was deterministic
- End-of-service predictions different for each time-dependent model

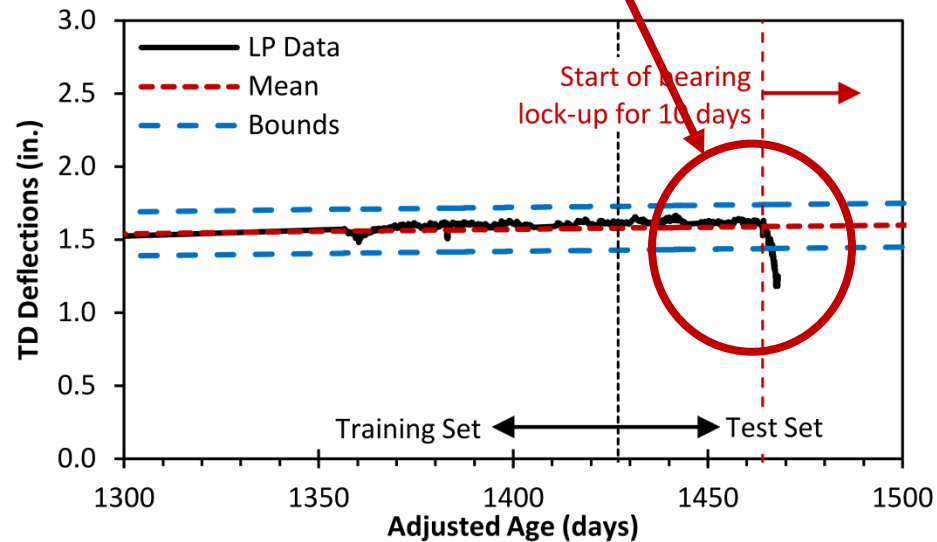


Short-Term Anomaly Detection



Bearing “lockup” simulated by changing thermal response

Anomalous behavior clearly seen after Bayesian regression

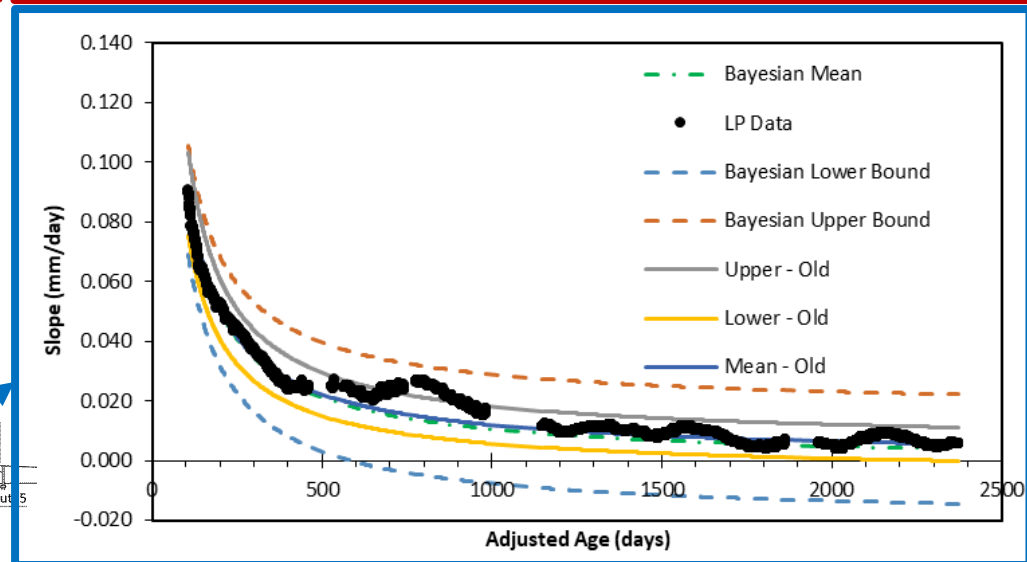
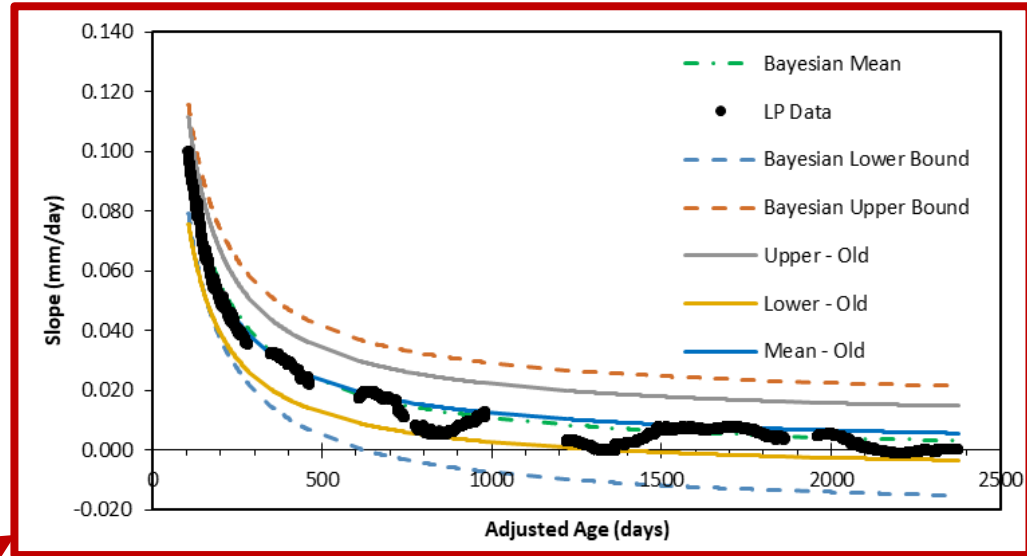
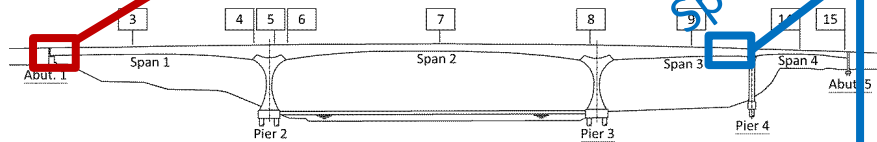


Long-Term Anomaly Detection

- Computed time-dependent displacement rates (for example mm/day) at expansion joints
- Bayesian regression used on displacement rates, showing 99% credible bounds

Northbound Bridge, Span 1

Span 3-4



Summary and Conclusions

Temperature Effects

Temperature is much more than axial thermal expansion – has many complex interactions with bridge behavior.

Feature Extraction

Extracting time-dependent deformation from raw data helps observe trends and anomalies.

Bayesian Regression

Bayesian regression can be effective tool to account for uncertainty in monitoring data and modeling predictions.



Questions?

